

# Multiple-criteria approach for strategy adaptation in SME's

## *Vícekritériální přístup pro adaptaci podnikové strategie v malých a středních firmách*

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**Abstract:** The formulation and adaptation of a firm strategy in small and medium enterprises depends on the management qualification and available project and modeling tools. With regard to the conditions in small Czech companies engaged in agribusiness, we encourage using uncomplicated quantitative models, the results of which can be also valuable. In the contribution, we show the possible utilization of simple additive weighting method for price assessment.

**Key words:** decision making, decision support, small and medium enterprises, simple additive weighting method, utilization function, competition

**Abstrakt:** Vytváření a adaptace podnikové strategie v malých a středních firmách závisí na kvalifikaci řídicích pracovníků a disponibilních projektových a modelových nástrojích. Vzhledem k podmínkám v malých českých firmách doporučujeme použití nekomplikovaných kvantitativních nástrojů, jejichž výsledky mohou být přínosné. V článku se zabýváme použitím metody váženého součtu pro rozhodování o ceně.

**Klíčová slova:** rozhodování, podpora rozhodování, malé a střední firmy, metoda váženého součtu, funkce užitku, konkurence

The modern agriculture and food processing, generally all kinds of entrepreneurship in agribusiness, are becoming more complicated and more demanding. The reason is not only in closer connection with other branches of the national and international economy but also in the additional social, ecological, health and environmental issues.

Management of such a complicated complex of activities calls for the high professional level of top managers. Reliable information about the conditions and running of the reproduction process including its development estimation are necessary. The decision making process should be supported by automatic expert systems which is able to propose the best solution as well as the optimal decision based on collection and evaluation of information.

Small and medium enterprises (SME's) in agribusiness usually do not have sufficient sources to invest into introduction, maintenance and development of such systems. There is not only a lack

of the financial, material and time sources. The decisive elements are knowledge and experience of the manager. Insufficient sources are limiting factors for the necessary analysis, which could be used as the decision base. A research made by external service provider exceeds the budget constraint of most companies. The reasonable solution is to use the potential of simple methods. These methods are able to provide approximate, benchmarking but valuable results. The goal of scientific institutes is to propose and describe such methods together with the publicity among the professional community.

This article represents one of the possible accesses to the price creation in SME's. The method is based on the Simple Additive Weighting method (SAW), which has been described in literature, for example Ching-Lai, Kwangsun (1981); Fiala et al. (1997); Tyc, Holoubek (2004). The article deals with the possible exploitation of SAW for assessment and correction of the price of concrete product.

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Supported by the Ministry of Education, Youth and Sports of the Czech Republic (Grant No. MSM6046070904).

# MULTIPLE ATTRIBUTE DECISION MODEL (MADM) AND THE SIMPLE ADDITIVE WEIGHTING METHOD (SAW)

The MADM model is expressed in a decision matrix

$$A = \begin{bmatrix} a_{11} & a_{12} & \dots & a_{1k} & a_{1,k+1} & \dots & a_{1n} \\ a_{21} & a_{22} & \dots & a_{2k} & a_{2,k+1} & \dots & a_{2n} \\ \vdots & \vdots & & \vdots & \vdots & & \vdots \\ a_{m1} & a_{m2} & \dots & a_{mk} & a_{m,k+1} & \dots & a_{mn} \end{bmatrix} \quad (1)$$

The decision matrix  $A$  is a  $(m \times n)$  matrix with  $m$  alternatives in lines and  $n$  criteria in columns whose element  $a_{ij} = (i = 1, \dots, m; j = 1, \dots, n)$  indicates evaluation of alternative  $A_i$  with respect to attribute (criterion)  $j$ . Hence the column vector  $A_j = (a_{1j}, a_{2j}, \dots, a_{mj})^T$  shows the contrast of each alternative with respect to criterion  $j$ . Suppose the first  $k$  criteria are cost criteria and the rest  $(n - k)$  criteria are benefit criteria. The benefit criterion means if  $a_{ij} > a_{i'j}$  then, with respect to criterion  $j$  the alternative  $A_i$  is preferred to alternative  $A_{i'}$ . The cost criterion means that if  $a_{ij} < a_{i'j}$  then, with respect to criterion  $j$ , the alternative  $A_i$  is preferred to alternative  $A_{i'}$ .

The relative attribute importance is expressed by weight vector  $v = (v_1, v_2, \dots, v_n)$ . Usually the weight is normalized so that

$$\sum_{j=1}^n v_j = 1 \quad (2)$$

The SAW method algorithm starts with determination of the ideal alternative  $H = (H_1, H_2, \dots, H_n)$ , which consist of the best attribute values by each attribute, and the negative ideal alternative  $D = (D_1, D_2, \dots, D_n)$ , which consists of the worst attribute values by each attribute.

Then the decision matrix is standardized by the formula

$$r_{ij} = \frac{a_{ij} - D_j}{H_j - D_j} \quad (3)$$

For all the values of the standardized decision matrix  $R = (r_{ij})$  is valid  $r_{ij} \in \langle 0; 1 \rangle$ .

Finally, the decision maker chooses the alternative with maximum value of scalar product  $u_i$

$$u_i = \sum_{j=1}^n r_{ij} v_j \quad (4)$$

The modified SAW method enables the user to change one of the variant's values in order to im-

prove the aggregate evaluation of the variant so that the variant will reach the stated value of the utility function. This property we used in the following case study. In the first step, we found out how the change of one parameter had influenced the total value of utility function. Let the value (parameter) of  $i$ -th variant by  $j$ -the criterion be changed by  $\Delta a_{ij}$  and at the same time it is valid:

$$D_j \leq a_{ij} + \Delta a_{ij} \leq H_j \quad (5)$$

Then only one value in the whole standardized matrix is changed during the standardization procedure (3), value  $r_{ij}$  by:

$$\begin{aligned} r'_{ij} &= \frac{a_{ij} + \Delta a_{ij} - D_j}{H_j - D_j} = \frac{a_{ij} - D_j}{H_j - D_j} + \frac{\Delta a_{ij}}{H_j - D_j} = \\ &= r_{ij} + \frac{\Delta a_{ij}}{H_j - D_j} \end{aligned} \quad (6)$$

The utility  $u_i$  obtained using (4) is changed:

$$u'_i = \sum_{j=1}^n r'_{ij} v_j + \frac{\Delta a_{ij}}{H_j - D_j} v_j \quad (7)$$

The change in single element of the decision matrix under the stated condition would result in different evaluation of the single variant the parameter of which has been changed.

Suppose now that the inequality (5) is not valid. That is why there is a change in the ideal or negative ideal variant. Let:

$$a_{ij} + \Delta a_{ij} \geq H_j \quad (8)$$

then:

$$H'_j = a_{ij} + \Delta a_{ij} \quad (9)$$

The evaluation of all variants with the exception of  $A_i$  is changed into:

$$u'_k = \sum_{j=1}^n \frac{a_{kj} - D_j}{H_j - D_j} v_j, \quad k \neq i \quad (10)$$

The evaluation of  $A_i$  is changed into:

$$u'_k = \sum_{j=1}^n \frac{a_{ij} + \Delta a_{ij} - D_j}{H'_j - D_j} v_j, \quad k = i \quad (11)$$

In the following case study, we show how to use the above described feature of the frequently used SAW method for improving the market position. We will call the algorithm above "inverse SAW algorithm". The method enables the decision maker to choose the strategy of behavior.

## CASE STUDY: PRODUCT PRICE ASSESSMENT

The case study shows how the inverse SAW algorithm can be used for product price assessment. The user is in the position of the manager of a meat processing plant and his goal is to carry a product (certain kind of salami) through the competitive agribusiness environment.

The consumer (wholesaler, chain of supermarkets) is choosing the products by its marketability to final customers. The decision can be based on the published results of consumer tests, on own experience, own research on preferences, etc. It was proved that the final consumer calls for good quality, enjoyable taste and reasonable price and that is why the wholesale customer uses the same criteria. It is clear that also the producer has to use the same criteria.

Suppose that the aim of the producer is to get into the wholesale. The strategy of the vender is to sell products of the acceptable quality for outstanding (low) prices. It means that the criterion price is

preferred both to the taste and to the quality. The taste and the quality are equally important. The appropriate weight vector can be then constructed as  $v = (0.2; 0.2; 0.6)$ .

The salami producer should make a preliminary evaluation whether his product is competitive to other producers. The data are in Table 1.

It is also important for decision-making that the only parameter, which can be changed immediately without changing technology or material, is the price. The change of taste or quality needs changes in the production technology and such changes are not flexible enough. If the technology change is planned, probably more methods and more complicated analysis should be used.

In our example, the product has got to the first half of the evaluated products. The wholesaler's offer is not that wide so the products does not have a real chance to get into the group of the products being sold. In the case the product has been already placed among the wholesale offer, the position among first five products would be satisfactory. But this is not

Table 1. Data for preliminary evaluation\*

| Produkt               | Taste | Duality | Price (CZK/kg) | $u_i$  | Order |
|-----------------------|-------|---------|----------------|--------|-------|
| <i>OUR PRODUKT</i>    | 2     | 3       | 88             | 0.7131 | 7     |
| Zřud                  | 4     | 5       | 99             | 0.8115 | 1     |
| Made                  | 4     | 4       | 104            | 0.7154 | 6     |
| Kliment               | 3     | 4       | 97             | 0.7300 | 4     |
| Hodice                | 3     | 4       | 106            | 0.6469 | 9     |
| Prantl                | 2     | 5       | 99.9           | 0.7032 | 8     |
| Kmotr                 | 4     | 5       | 108            | 0.7285 | 5     |
| Hanacky               | 4     | 5       | 99.4           | 0.8078 | 2     |
| Steihauser            | 4     | 1       | 123            | 0.3900 | 12    |
| Krahulik – Telč       | 5     | 1       | 115            | 0.5138 | 11    |
| Svatohorsky           | 3     | 2       | 136            | 0.2700 | 13    |
| Schneider             | 1     | 1       | 149            | 0.0000 | 15    |
| Roudnice              | 2     | 2       | 145            | 0.1369 | 14    |
| Klatovy               | 3     | 2       | 84             | 0.7500 | 3     |
| Kriteria weight       | 0.2   | 0.2     | 0.6            |        |       |
| Ideal weight          | 5     | 5       | 84             |        |       |
| Negative ideal weight | 1     | 1       | 149            |        |       |

Evaluation scale: 5 = very good, 4= good, 3 = average, 2 = satisfying, 1 = unsatisfying. The evaluation of TASTE consists of evaluation of look, consistency and taste. The evaluation of QUALITY consists of water activity, content of soybean proteins, pure muscular proteins and fat.

Source: <http://ekonomika.idnes.cz>

Table 2. Recalculation of the model with modified decision matrix

| Produkt               | Taste | Duality | Price (CZK/kg) | $u_i$  | Order |
|-----------------------|-------|---------|----------------|--------|-------|
| <i>OUR PRODUKT</i>    | 2     | 3       | 83             | 0.7500 | 3     |
| Zřud                  | 4     | 5       | 99             | 0.8045 | 1     |
| Made                  | 4     | 4       | 104            | 0.7091 | 7     |
| Kliment               | 3     | 4       | 125            | 0.5182 | 10    |
| Hodice                | 3     | 4       | 106            | 0.6409 | 9     |
| Prantl                | 2     | 5       | 99.9           | 0.6964 | 8     |
| Kmotr                 | 4     | 5       | 108            | 0.7227 | 5     |
| Hanacky               | 4     | 5       | 99.4           | 0.8009 | 2     |
| Steihauser            | 4     | 1       | 123            | 0.3864 | 12    |
| Krahulik – Telč       | 5     | 1       | 115            | 0.5091 | 11    |
| Svatohorsky           | 3     | 2       | 136            | 0.2682 | 13    |
| Schneider             | 1     | 1       | 149            | 0.0000 | 15    |
| Roudnice              | 2     | 2       | 145            | 0.1364 | 14    |
| Klatovy               | 3     | 2       | 84             | 0.7409 | 4     |
| Kriteria weight       | 0.2   | 0.2     | 0.6            |        |       |
| Ideal weight          | 5     | 5       | 83             |        |       |
| Negative ideal weight | 1     | 1       | 149            |        |       |

our situation. Let us imagine that we are trying to displace one of the currently offered products and replace it by our salami and that is why we need to place our product among the first three ones. Only in such case the wholesaler will take in mind the option to start purchasing our product and to displace another one.

First we proved the chances of a less aggressive strategy. We go down with the price of our product by 3% to 85.35 CZK/kg. The value of the criterion price for our product is not higher than the actual ideal value,  $H_3 = 84$ , so that we use formulas (6)–(7) for recalculation. We get:

$$u_1' = 0.7374$$

what will cause, according to the Table 1, shift to the third rank.

The second example examines a more aggressive strategy. We lower the price by 5.6% to 83 CZK/kg. The value of the ideal variant  $H_3$  will change to  $H_3'$ . For new evaluation and ranking, it is necessary to recalculate the whole table using the formulas (8)–(11). The results see in Table 2.

It follows from the Table 2 that the plan to place the product among the first three would be fulfilled when the price decreases to 83 CZK/kg. The utility

function for further price reduction would not be improved but this indicator would go down for every other product. This conclusion follows directly from the features of the evaluation process, which were deducted above and formalized in formulas (6)–(11).

## CONCLUSIONS

The article proposes the fast way of evaluation of the competitive position in the market. The case study is methodological so that it shows how to use the proposed method.

The case study is just a model case. In the real situation, there will be probably more decision criteria. There may be also the possibility to change other parameters of the product – not only the price. The final result of the chosen strategy is usually influenced by negotiations with the wholesale vendor, which can depend on relations to other suppliers. Lowering the price is not unlimited because it must be over production costs to secure the acceptable profit for the producer. The inverse SAW method we propose as a tool for preliminary analysis, which can bring valuable information about the situation in the market. Even this simple method is able to eliminate

strategies, which have no chance for success so that remarkable costs could be spared.

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Arrived on 1<sup>st</sup> February 2006

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